



# Method validation and verification

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# Method Validation and verification

- What is it?
- When is it required?
- Why is it necessary?
- What are required?
- How much is adequate?
- How should it be done?
- Any questions on the questions?

# Method Validation – what is it

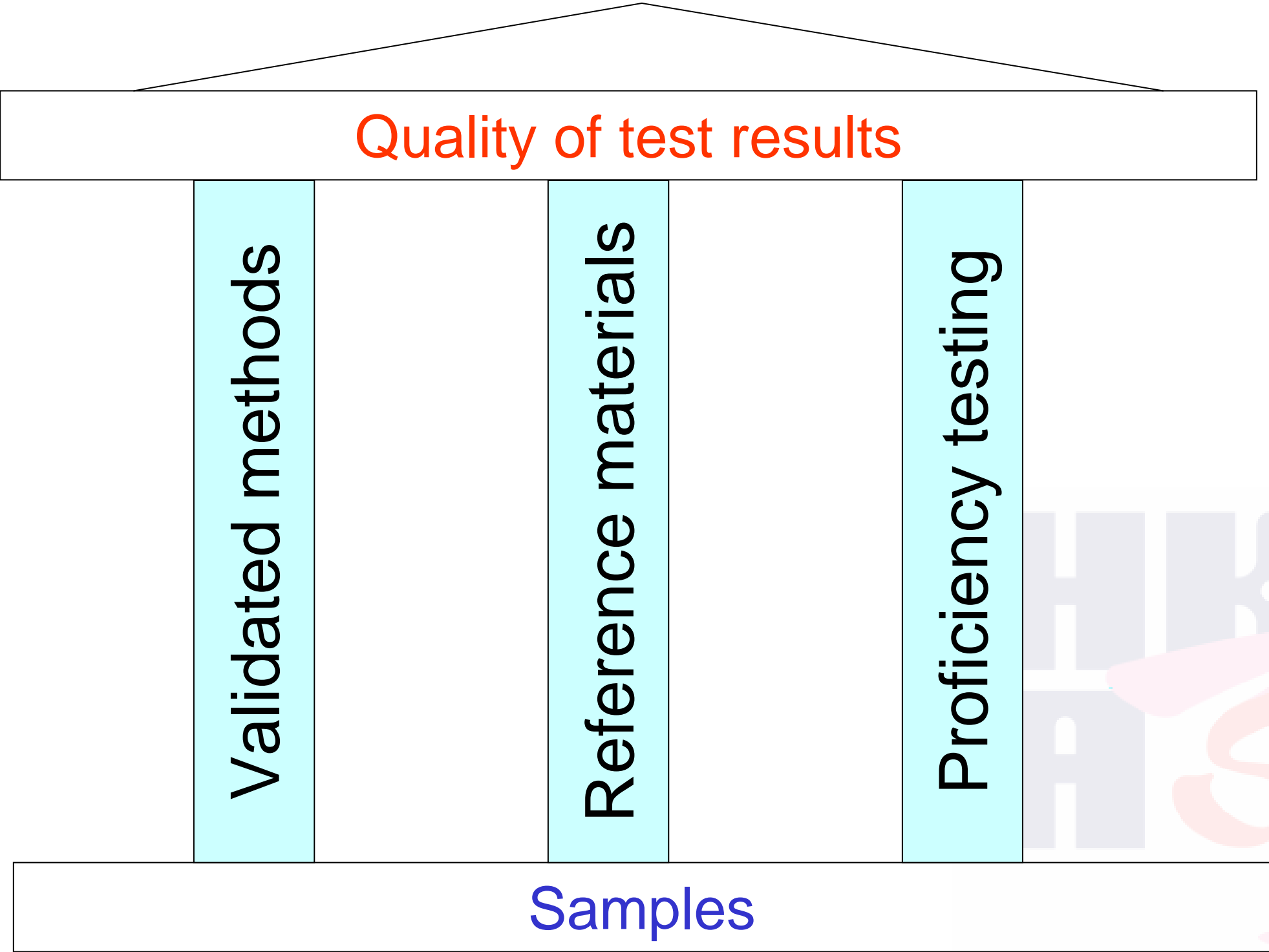
## Definition –

- validation is the confirmation by examination and the provision of objective evidence that the particular requirements for a specific intended **use** are fulfilled (*ISO/IEC 17025:2005 cl. 5.4.5.1*)
- verification, where the specified requirements are adequate for an intended **use** (*ISO/IEC Guide 99:2007*)

## Method Verification – what it is

- Verification – provision of objective **evidence** that a given item fulfils specified **requirements** (ISO/IEC Guide 99:2007)

# Method Validation – why is it necessary



# Method Verification

## ISO/IEC 17025 *cl. 5.4.2*

- The laboratory shall confirm that it can properly operate standard methods before introducing the tests or calibrations. If the standard method changes, the confirmation shall be repeated.

# Laboratory internal validation and verification

## Existing information

Fully validated standard methods (have been studied in a collaborative trail)

Standard methods – amplifications and modifications e.g. new instrument

Standard methods – outside their intended scope

Laboratory – developed and non-standard methods

## Laboratory requirement

Verification (Secondary validation)

Validation

Validation

Validation (Primary validation)

## Method Verification – what are required

### HOKLAS SC No. 20 *Section 5.4*

#### Verification of methods

- A laboratory using standard methods has to confirm that it has the ability to carry out those methods.... Verification is usually carried out by comparing the performance data obtained by the laboratory when performing a standard method with those claimed by the same method.

*(note: specified requirements include the method performance of the std methods)*



# Method verification

- Released early 2008
- [http://www.aoac.org/alacc\\_guide\\_2008.pdf](http://www.aoac.org/alacc_guide_2008.pdf)



# Method Verification

- importing a validated method
- show that laboratory can do it at its site
- demonstrate that laboratory can repeat the method performance

# Method Verification

Standard methods shall be verified for:

1. the equipment
2. the required reference materials/standard, reagents
3. the environmental conditions
4. testing staff member competence to perform the test
5. capability to achieve the **method performance**

# Method Verification

To demonstrate you can repeat the method performance, including:

- Detection limits
- Precision
- Bias

## Method Verification – Method detection limit

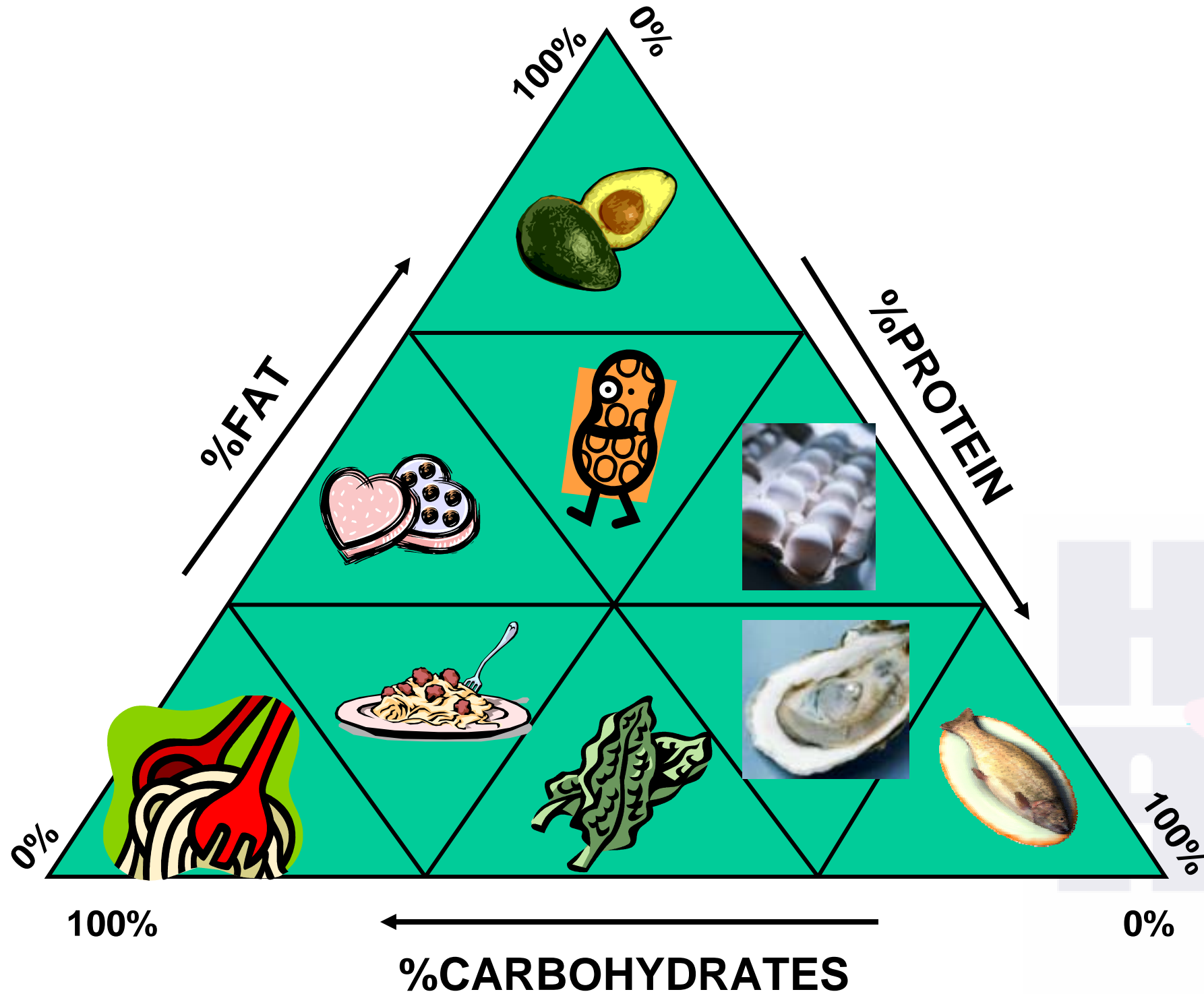
- Spike matrix blanks at the level close to the method detection limit given in the standard method
- Perform the analysis on the spike matrix blank at least 7 times over a period of at least 3 days
- Calculate the recoveries and the RSD
- Compare the values with those given in the standard method

## Method Verification – Method detection limit

Factors to consider:

- How many matrices are needed?
- How are the values obtained compared with those of the standard method?

# Method Verification



## Method Verification – Method detection limit

How many food matrices are needed?

- Less than validation
- Professional judgment needed on the possible matrix effects on the detection limits
- Most difficult food matrices
- How far can the light shine?



## Method Verification – Method detection limit

How are the values obtained compared with those of the standard method?

- RSD not significantly different from std method and
- Mean recovery within acceptable limits

## Method Verification – Precision

- Perform a precision study by analysing a homogenous sample at least 7 times
- Calculate the std dev
- Use F test to determine if there is statistical significant difference between the std dev found and the std method
- Should use repeatability std dev

## Method Verification – Precision

- comparison of precision of the two methods

$$F = \frac{S_r^2 B}{S_r^2 A}$$

where  $S_r^2 B$  = repeatability std dev of lab B

$S_r^2 A$  = repeatability std dev of std method A

if  $F < F(95\%) (v_r A, v_r B)$ : statistically no significant difference

## Method Verification – Precision

- comparison of precision obtained against the required value

The precision of the measurement process is assessed by comparing the within-laboratory std dev under repeatable conditions with the required value of the within-lab std dev

## Method Verification – Precision

- Compute

$$c^2 = \left\{ s_w / w_0 \right\}^2$$

Where  $w_0$  is the required value of the within-lab std dev

$$c^2_{table} = \chi^2_{(n-1);0.95} / n-1$$

= 0.95<sup>th</sup> quantile of the  $\chi^2$  distribution at degrees of freedom (n-1) divided by the degree of freedom (n-1)

## Method Verification – Precision

### - Decision

$c^2 \leq c^2_{table}$  : No evidence that the process is not as precise as required.

$c^2 > c^2_{table}$  : Evidence that process is not as precise as required

## Method Verification – Bias

- To demonstrate the absence of lab bias
- Proficiency tests/interlaboratory comparisons
- Analysis of CRMs

## Method Verification – Bias

- Estimate of lab bias is, in itself, uncertain
- Choose  $n$  such that  $\sqrt{s_w/n} < 0.2s_R$
- Certified value,  $\mu$ , is subtracted from the mean of the results,  $m$ , to obtain an estimate of the lab bias,

$$= m - \mu$$

- Acceptable if 
$$< 2s_D$$

Where  $s_D$  is the uncertainty of the measurement process

$$\text{and } s_D^2 = s_L^2 + s_w^2/n$$



## Method Verification – Bias

$$\text{Given } s_R^2 = s_L^2 + s_r^2$$

$$s_D^2 = s_R^2 - s_r^2 + s_w^2/n$$

Hence,

$$< 2 \sqrt{(s_R^2 - s_r^2 + s_w^2/n)}$$

Which is the acceptability test for

## Method Verification – Bias

- comparison of results with another laboratory
  - the means of the two laboratories,  $y_1$  and  $y_2$ , are compared

$$\text{if } y_1 - y_2 < \sqrt{(2.8 \sigma_R)^2 - (2.8 \sigma_r)^2 (1 - 1/2n_1 - 1/2n_2)},$$

then statistically no significant difference

where  $\sigma_r$  = repeatability standard deviation

$\sigma_R$  = reproducibility standard deviation

## Method Verification – Bias

- When each lab has obtained only one test result, the absolute difference between the two test results should be tested against the reproducibility limit  $R=2.8 \sigma_R$ .
- If the absolute difference between the two test results does not exceed  $R$ , the two test results are considered to be in agreement.

$$y_1 - y_2 < 2.8 \sigma_R$$



Thank you

